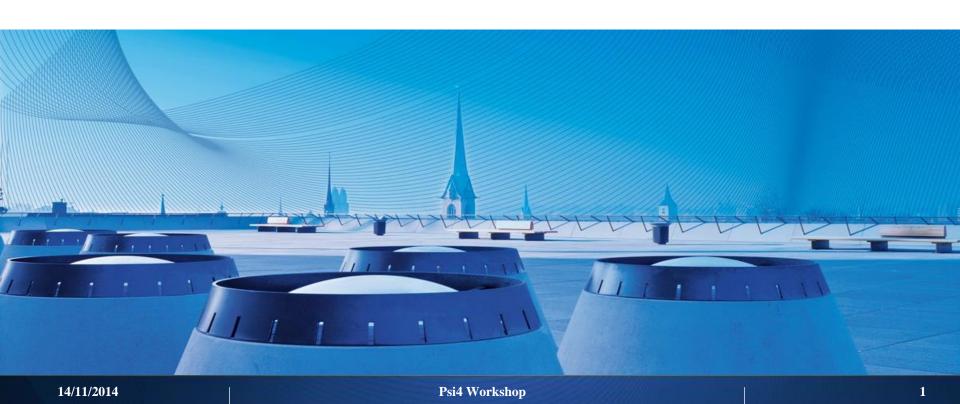




## **Molecular Parity Violation.**

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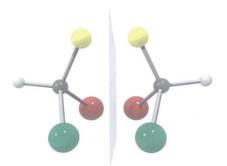


## Parity violation: i) arises when parity operator P does not commute any more with the Hamiltonian of the system

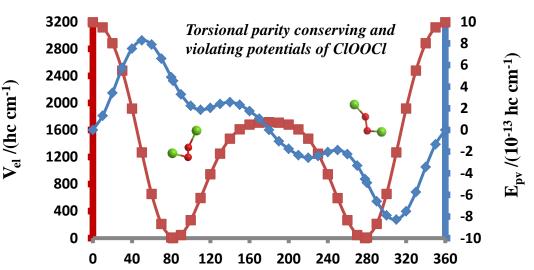
*ii)* electroweak interaction does not conserve symmetry – this parity violationg effect has been measured and calculated very accurately for forbidden atomic transitions confirming the Standard model in particle physics to high precision.

iii) From the Standard model, it is also accepted that parity violation leads to small energy difference and different spectra between enatiomers of chiral

molecules.



 $\begin{array}{l} N_A \,.\, \Delta_{PV} E \,\, \approx \, 10^{\text{-}11 \, \pm \, 3} \, J \,\, mol^{\text{-}1} \\ \Delta_{PV} E \,\, \approx \, 10^{\text{-}16} \,\, eV \end{array}$ 





## Molecular parity violating Hamiltonian (nonrelativistic limit).

$$\hat{H}_{pv}^{e-nucl} = \frac{G_F \alpha}{2\sqrt{2}} \sum_{i=1}^{n} \sum_{A=1}^{N} \left[ Q_W(A) \{ \hat{\vec{p}}_i \; \hat{\vec{s}}_i, \delta^3(\vec{r}_i - \vec{r}_A) \}_+ \right]$$

$$+\left(-\lambda_{A}\right)\left(1-4\sin^{2}\theta_{W}\right)\left\{\hat{\vec{p}}_{i}\;\hat{\vec{I}}_{A},\delta^{3}(\vec{r}_{i}-\vec{r}_{A})\right\}_{+}$$

$$+2i\lambda_A(1-4\sin^2\theta_W)\times(\hat{\vec{s}}_i\times\hat{\vec{I}}_A)[\hat{\vec{p}}_i,\delta^3(\vec{r}_i-\vec{r}_A)]$$

- *i)* Major contribution comes from nuclear spin independent part.
- *ii*) It is purely imaginary operator and gives zero expectation value for nonrelativistic real wavefunction.
- *iii*) The parity violating energy is calculated as a static linear response function.

 $G_F = 2.222 \ 54 \times 10^{-14} \ \mathrm{E_h}$  Fermi constant  $\alpha$  fine structure constant  $Q_w(A) = Z_A \ (1 - 4 \ sin^2 \ \theta_w) - N_A$   $Z_A$  number of protons in nucleus A  $N_A$  number of neutrons in nucleus A  $sin^2 \ \theta_w = 0.2319$  Weinberg angle

## Parity violating potential $E_{pv}$ as a static response function.

Parity-violating operator

$$\hat{H}_{pv}^{e-nucl} = \frac{G_F \alpha}{2\sqrt{2}} \sum_{i=1}^{n} \sum_{i=1}^{A} Q_w(A) \{ \hat{\vec{p}}_i \; \hat{\vec{s}}_i, \delta^3(\vec{r}_i - \vec{r}_A) \}_+$$

Effective Spin-orbit coupling operator

$$\hat{H}_{SO} = \frac{\alpha^2}{2} \left[ \sum_{i=1}^{n} \sum_{A=1}^{N} \eta_A Z_A \frac{\vec{l}_{i,A} \hat{\vec{s}}_i}{|\vec{r}_A - \vec{r}_i|^3} \right]$$

$$E_{pv} = \left\langle \left\langle \hat{\boldsymbol{H}}_{pv}; \hat{\boldsymbol{H}}_{SO} \right\rangle \right\rangle$$

Thank you!